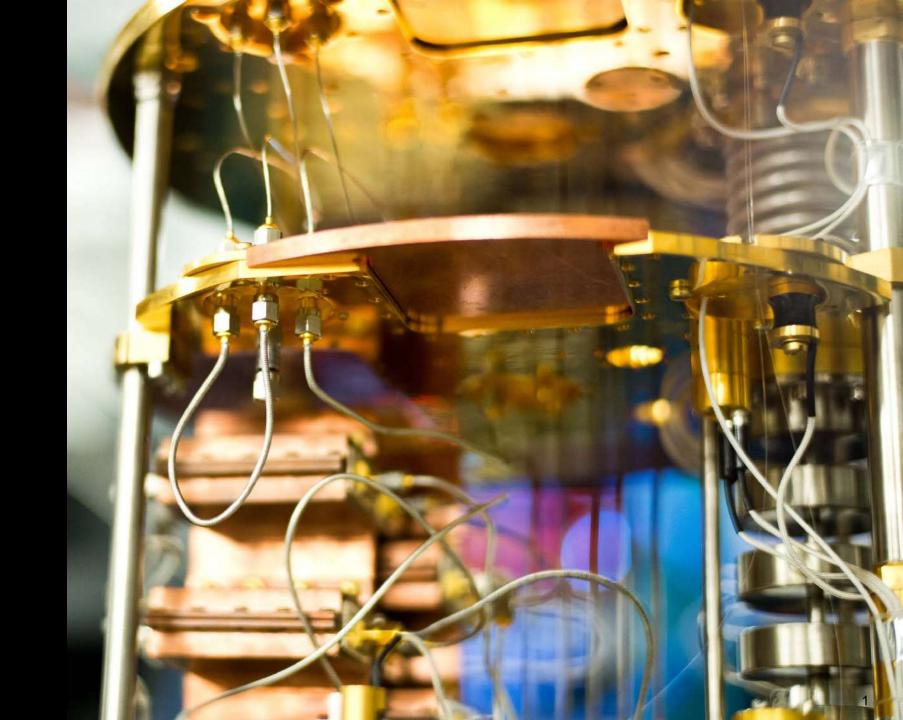
QISKit

Jay Gambetta

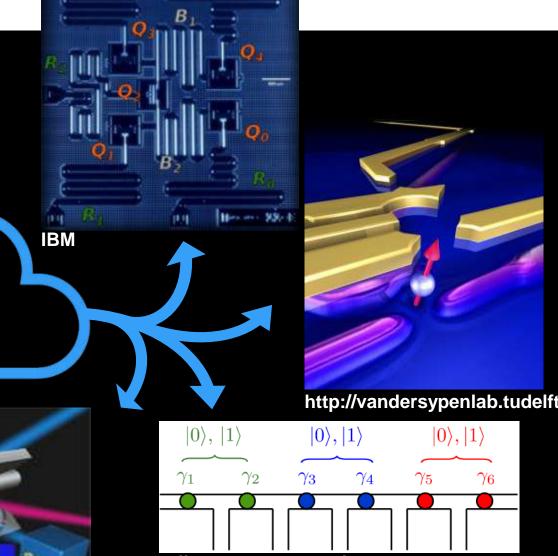


Exploring Quantum Possibilities

Quantum hardware is **evolving rapidly**, with **many approaches** being pursued

Even individual qubits exhibit dayto-day **performance variability**







http://www.quantumoptics.at

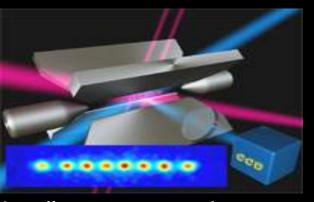
Exploring Quantum Possibilities

QISKit goal is to provide an open-source platform for building quantum programs that can keep up with changing

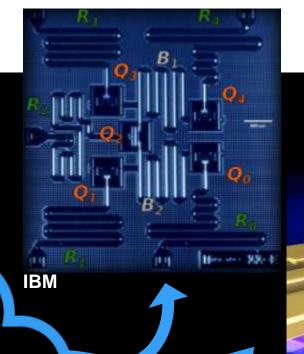
hardware



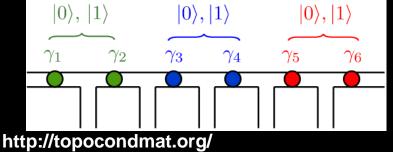




http://www.quantumoptics.at



http://vandersypenlab.tudelft



w2_majorana/braiding.html

Quantum Information Software Kit.

Is an open source software development kit for writing quantum computing experiments, programs, and applications.

Customize pinned repositories





QISKit

This organization Search

Quantum Information Software Kit

http://www.qiskit.org 🖂 qiskit@qiskit.org

Repositories 9

People 33

Teams 4

Projects 0

Settings 3

Pinned repositories

≡ qiskit-sdk-py

Software development kit for writing quantum computing experiments, programs, and applications.

● Python ★ 1.1k 💡 310

≡ qiskit-tutorial

A collection of Jupyter notebooks using QISKit

■ Jupyter Notebook ★ 173 ♀ 75

= opengasm

Gate and operation specification for quantum circuits

● TeX ★ 152 🖞 42

≡ ibmqx-backend-information

Information about the different backends on the IBM Q experience

★ 54 ¥ 26

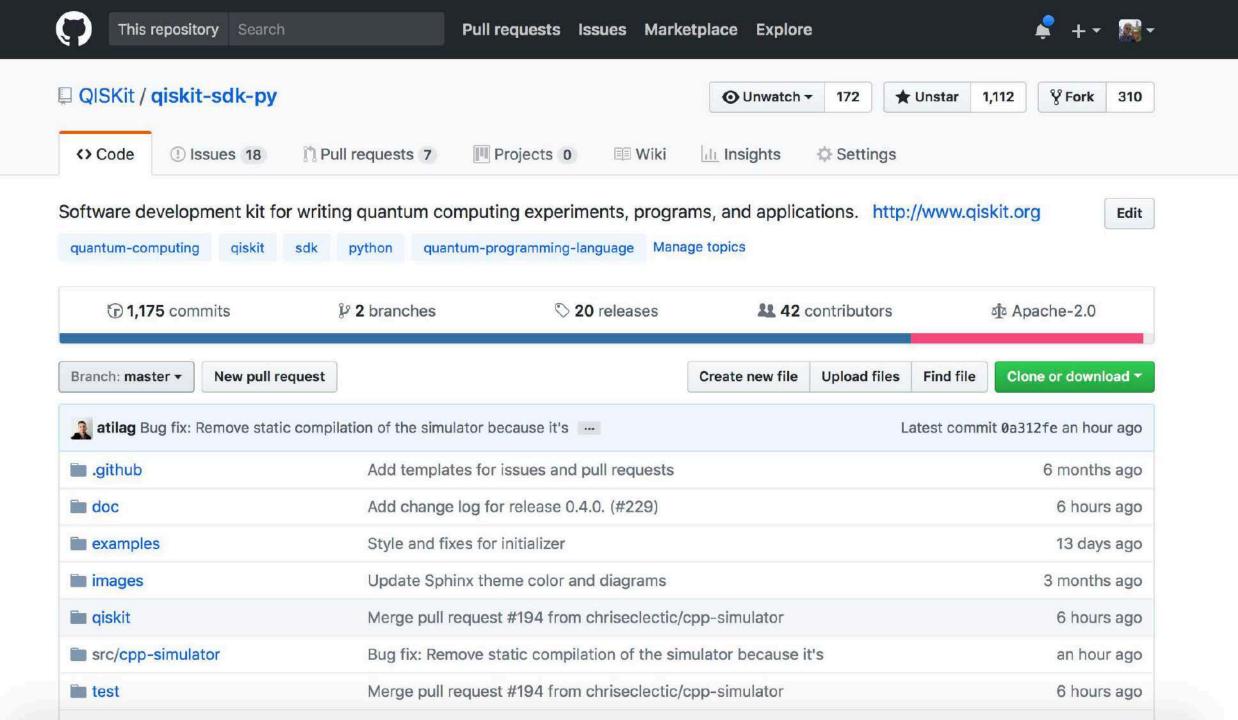
≡ ibmqx-user-guides

The users guides for the IBM Q experience

● HTML ★ 28 ¥ 18









english / japanese



Approximate Quantum Computing: From advantage to applications Recordings now available!

Latest version pypi vo.4.3

The Quantum Information Software Kit (QISKit for short) is a software development kit (SDK) for working with OpenQASM and the IBM Q experience (QX).

GitHub

Road map

Learn

Use QISKit to create quantum computing programs, compile them, and execute them on one of several backends (online Real quantum processors, and simulators).

a qiskit.org

Tutorials

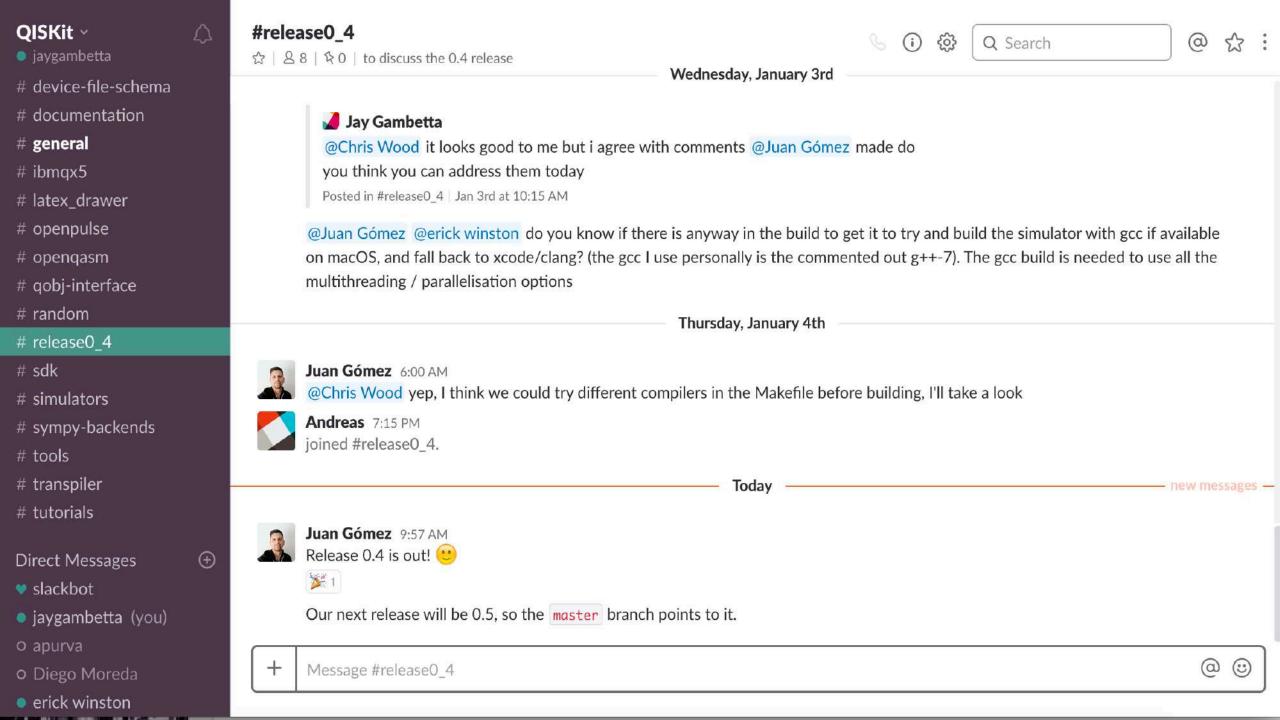
Documentation

IBM Q experience

Run a quantum program

[python3] \$ pip install qiskit

```
from qiskit import QuantumProgram
qp = QuantumProgram()
qr = qp.create_quantum_register('qr',2)
cr = qp.create_classical_register('cr',2)
qc = qp.create_circuit('Bell',[qr],[cr])
qc.h(qr[0])
qc.cx(qr[0], qr[1])
qc.measure(qr[0], cr[0])
qc.measure(qr[1], cr[1])
result = qp.execute('Bell')
print(result.get_counts('Bell'))
Python 3.5+ required, see more in the docs
```



Overview



Why is quantum computing exciting?

Why Now?

To solve problems that are intractable for classical computers

Fault-tolerant vs approximate quantum computing

What does QC look like today?

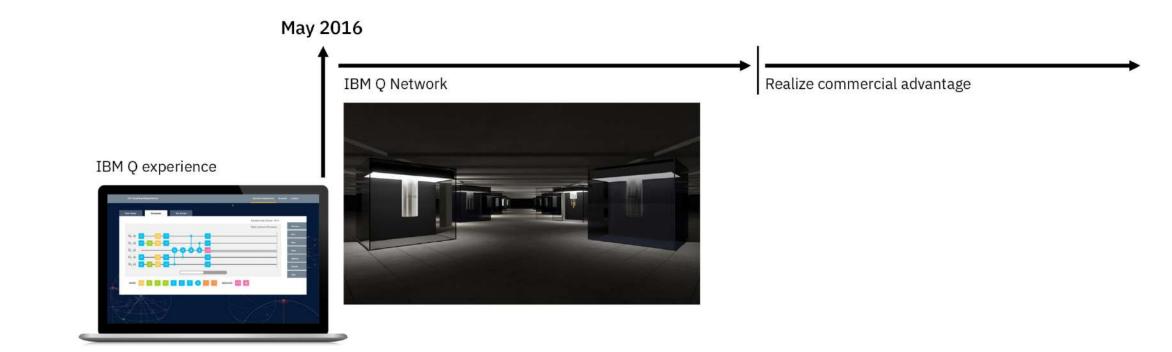
IBM Q superconducting hardware

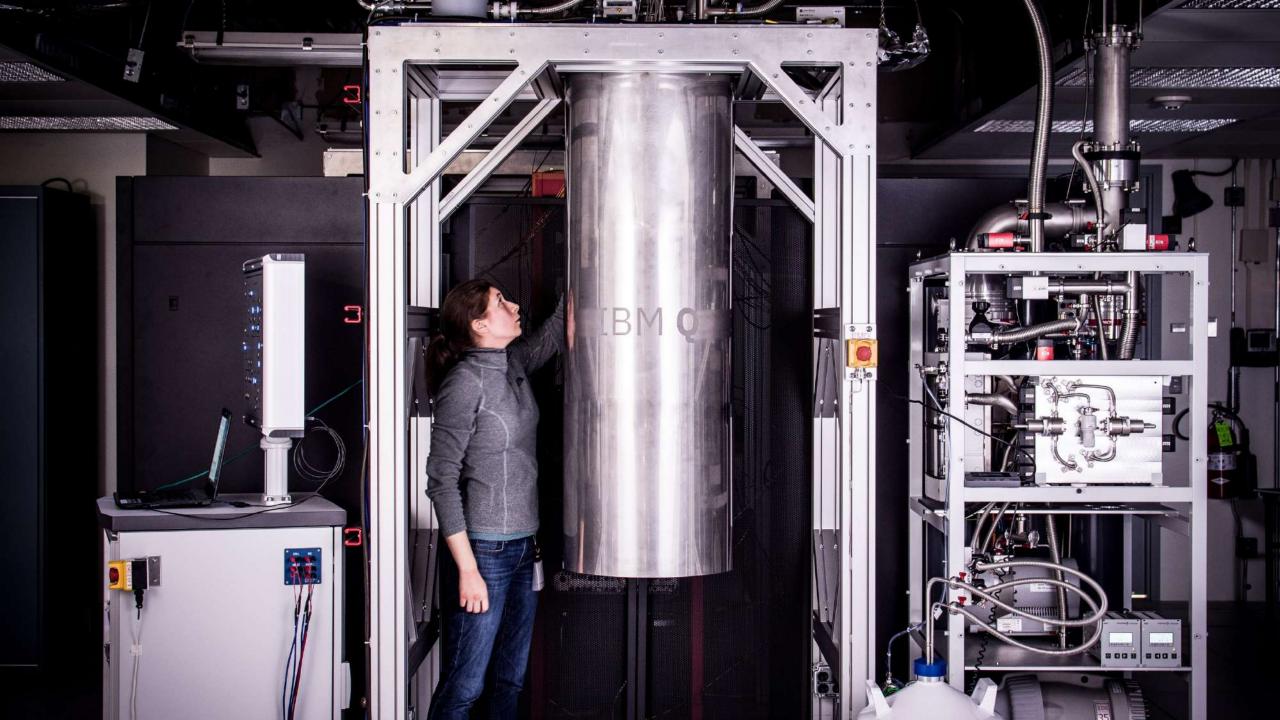
QISKit

The Road to Quantum Advantage

Quantum Science Quantum Ready

Quantum Advantage





Moore's Law Quantum Technology 1024 ^ Carbon Nanotubes? 1012 108 Performance Integrated Circuit 104 Discrete Transistor Vacuum Tube 100 Electro-Mechanical 104 10-8

1960

1980

2000

2020 and Beyond

1900

1920

1940

Moore's Law 10247 Quantum computing is a new model of computation Carbon Nanotubes? 1012 108 Performance Integrated Circuit 104 Vacuum 10° Tube Mechanical 104 10⁻⁸ 1900 1920 1940 1960 1980 20002020 and Beyond

Exponential scaling

There's a famous legend outlined in "IBM Mathematics Peep Show"

The inventor of chess showed it to the emperor of India, and the emperor was so impressed he said "Name your reward!"

The man responded. "Oh emperor, my wishes are simple. I only wish for this. For the next 64 days I will come back and for the first day please only give me one grain of rice for the first square of the chessboard, on the second day two grains for the next square, four for the next, eight for the next and so on for all 64 squares, with each square having double the number of grains as the square before."

The emperor agreed, amazed that the man had asked for such a small reward - or so he thought.



On the first day...



After one week...127 grains of rice



After one month... 1,070,000,000 grains of rice

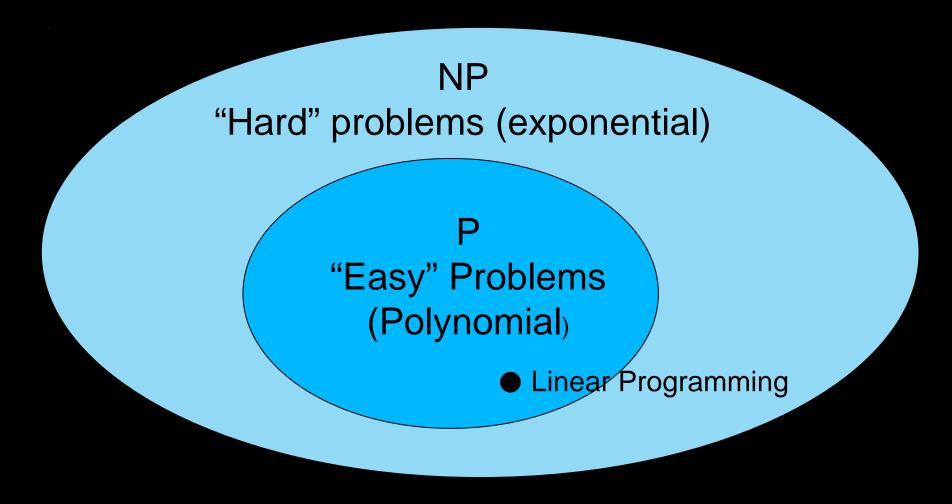


After 64 days ... 535 billion metric tons of rice



Limitations of conventional computers

There are many intractable problems where the best known algorithm has runtime that scales exponentially with input size



A new model of computation

The second of th

a physical system in a perfectly definite state can still behave randomly

two systems that are too far apart to influence each other can nevertheless behave in ways that, though individually random, are somehow strongly correlated.

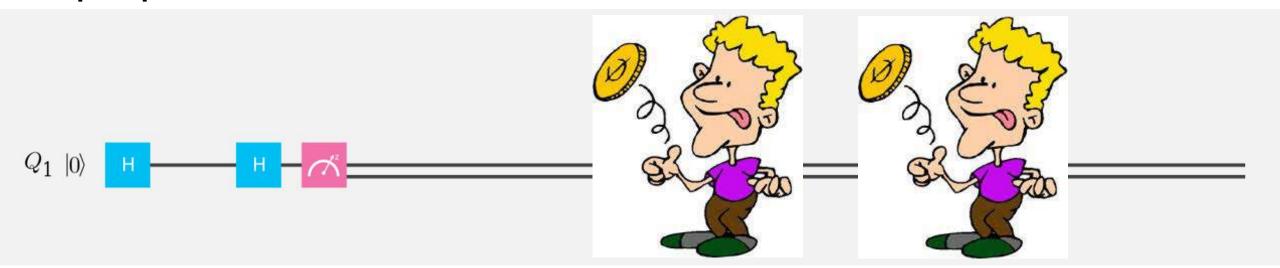
Quantum Applications is about working out how to use these two principles in a new model of computation

Superposition

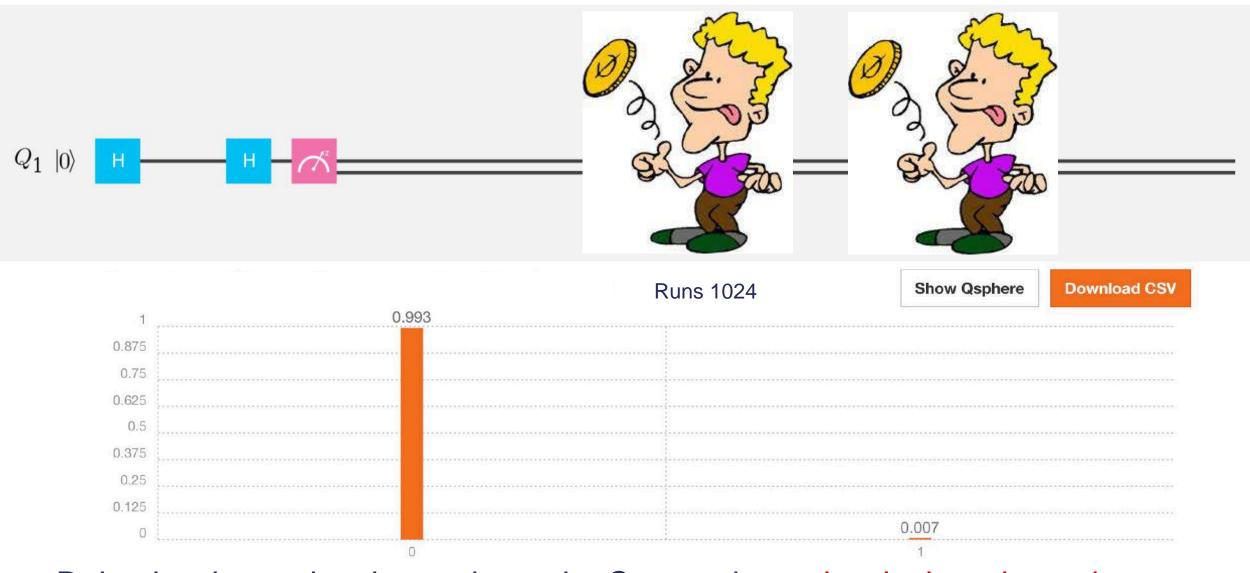


The outcomes appear to be random

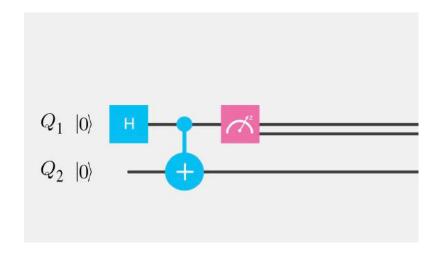
Superposition

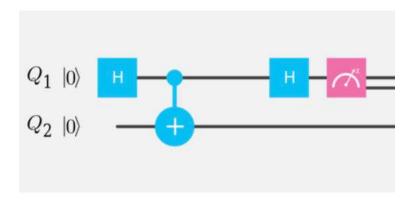


Superposition



Doing it twice makes it certain again. Can not be a classical random mixture



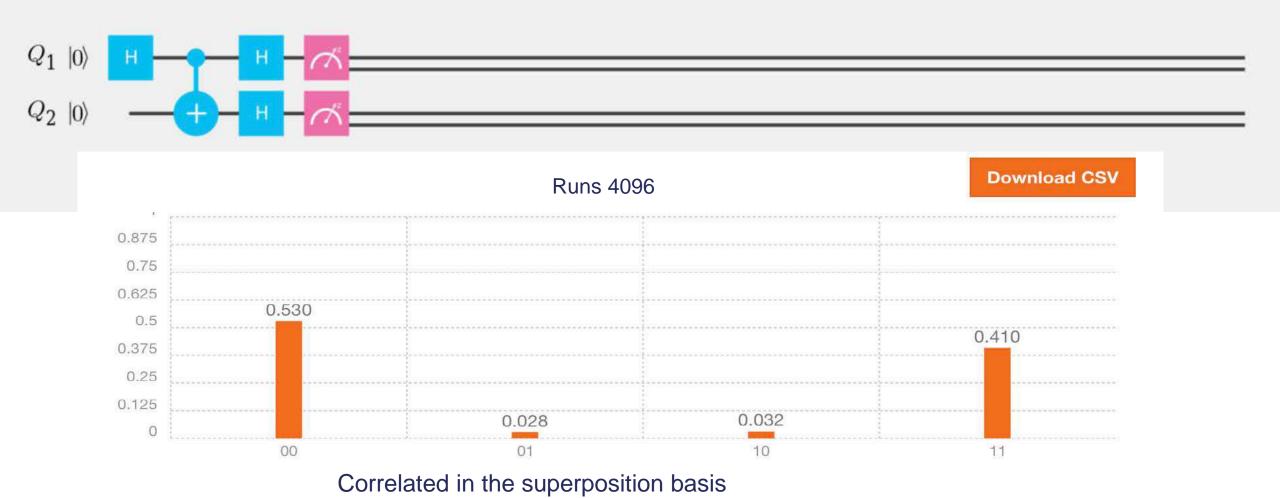




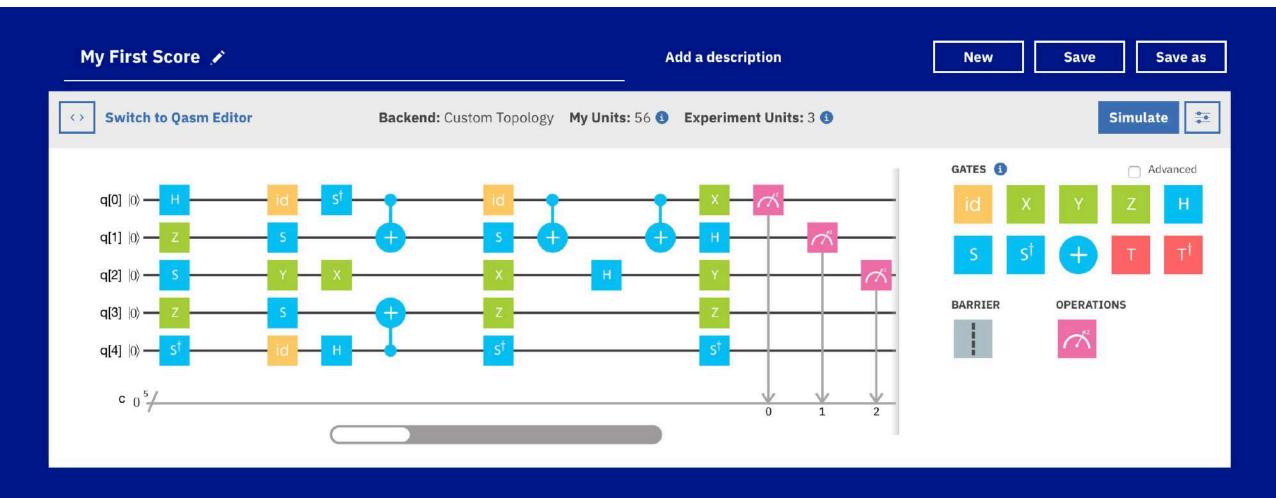
qubit 1 it has no information about the quantum state. It is not superposition or a computational state.



Correlated in the computational basis



Quantum Computing and Quantum Circuits I



Quantum Computing and Quantum Circuits II



A quantum computation:
$$|\psi'\rangle=U|\psi\rangle$$
 for all $\ U\in SU(2^n)$



$$U(\theta,\phi,\lambda) := \begin{pmatrix} e^{-i(\phi+\lambda)/2}\cos(\theta/2) & -e^{-i(\phi-\lambda)/2}\sin(\theta/2) \\ e^{i(\phi-\lambda)/2}\sin(\theta/2) & e^{i(\phi+\lambda)/2}\cos(\theta/2) \end{pmatrix}$$
 with all single

A universal set of gates

$$\mathsf{H} = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix} \qquad \mathsf{H}$$



$$X = \left(\begin{array}{cc} 0 & 1 \\ 1 & 0 \end{array}\right) \quad \mathsf{X}$$

$$\mathsf{S} = \sqrt{Z} = \begin{pmatrix} 1 & 0 \\ 0 & i \end{pmatrix}$$

$$T = \sqrt{S} = \begin{pmatrix} 1 & 0 \\ 0 & e^{i\frac{\pi}{4}} \end{pmatrix} \qquad \boxed{\mathsf{T}}$$

Quantum math in a single slide

Probability Theory:

$$\begin{pmatrix} t_{11} & \dots & t_{12^n} \\ \vdots & \ddots & \vdots \\ t_{2^n 1} & \dots & t_{2^n, 2^n} \end{pmatrix} \begin{pmatrix} p_1 \\ \vdots \\ p_{2^n} \end{pmatrix} = \begin{pmatrix} q_1 \\ \vdots \\ q_{2^n} \end{pmatrix}$$

$$p_i \geq 0 \qquad \sum_{i=1}^{2^n} p_i = 1$$

Linear transformations that conserve 1-norm of probability vectors: **Stochastic matrices**

There exists efficient ways to simulate this exponential

Quantum Theory:

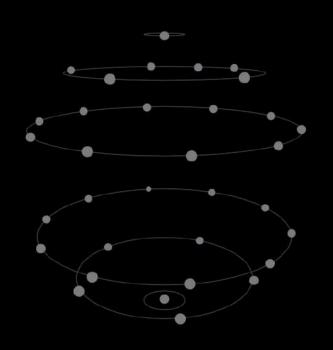
$$\begin{pmatrix} u_{11} & \dots & u_{12^n} \\ \vdots & \ddots & \vdots \\ u_{2^{n_1}} & \dots & u_{2^{n_2n}} \end{pmatrix} \begin{pmatrix} \alpha_1 \\ \vdots \\ \alpha_{2^n} \end{pmatrix} = \begin{pmatrix} \beta_1 \\ \vdots \\ \beta_{2^n} \end{pmatrix}$$

$$\alpha_i \in C \qquad \sum_{i=1}^{2^n} |\alpha_i|^2 = 1$$

Linear transformations that conserve 2-norm of amplitude vectors: **Unitary matrices**

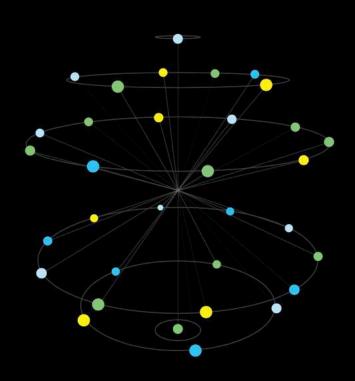
There does not exist efficient ways to simulate this exponential (negative sign)

A Quantum Algorithm



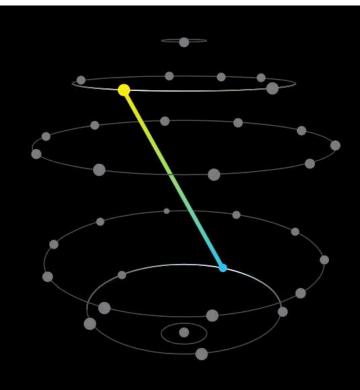
The spread

First part of the algorithm is make a equal superposition of all 2ⁿ states. Apply H gates



The problem

The second part is to encode the problem into this states (phases on the on the all 2ⁿ states.



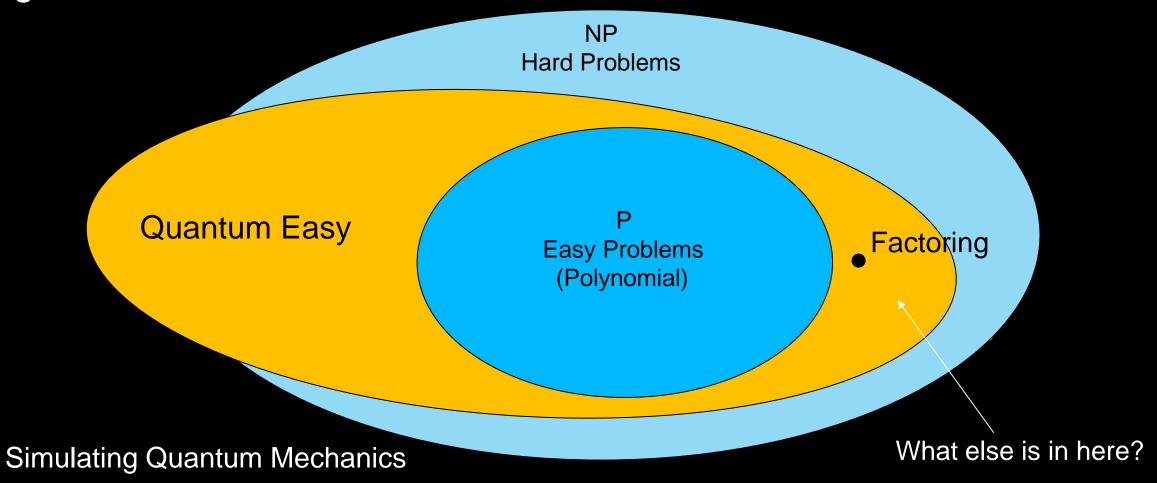
The magic

The magic of quantum algorithms is to interfere all these states back to a few outcomes containing the solution

Quantum speedups

per annu de la contra la l

...Quantum computers are the only novel hardware which changes the game



Types of quantum computing

A Supplied and Line a

Universal fault-tolerant quantum computer

The holy grail of quantum information science. Allows one to run useful quantum algorithms which achieve exponential speed ups over their classical counterparts. However the over head of quantum error correction estimates 1M-5M qubits

Approximate quantum computer

A quantum device which does not have fault tolerance, with the goal of demonstrating a useful application by interacting with a classical computing system, e.g. quantum chemistry, optimization. Estimate 1K-5K qubits

Analog / quantum Annealing

A special built system which uses quantum effects to solve/emulate a specific problem. It has limited programmability and unclear if and when it has a speed up over conventional computers.

Types of quantum computing

h tag park anna 4 ca a state tah

Universal fault-tolerant quantum computer

The holy grail of quantum information science. Allows one to run useful quantum algorithms which achieve exponential speed ups over their classical counterparts. However the over head of quantum error correction estimates 1M-5M qubits

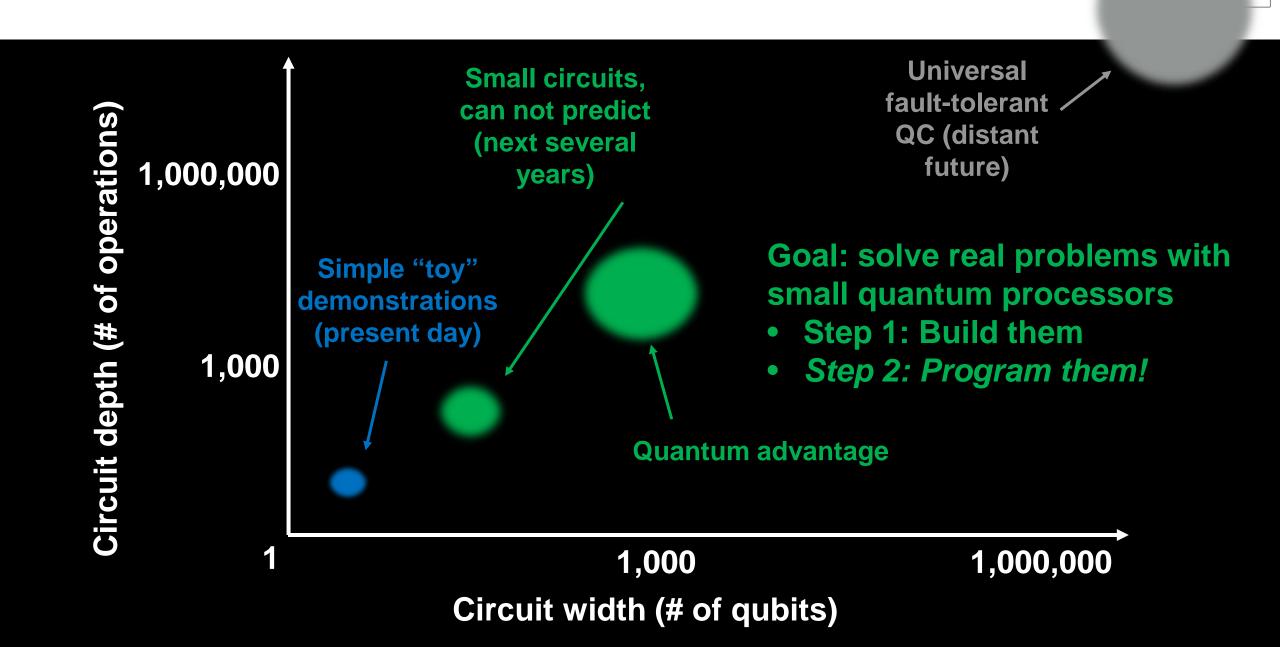
Approximate quantum computer

A quantum device which does not have fault tolerance, with the goal of demonstrating a useful application by interacting with a classical computing system, e.g. quantum chemistry, optimization. Estimate 1K-5K qubits

Analog / quantum Annealing

A special built system which uses quantum effects to solve/emulate a specific problem. It has limited programmability and unclear if and when it has a speed up over conventional computers.

Toward a Quantum Approximate computer



Technical goals for QISKit software platform

produced by the contract of

- Plan for continued improvement of quantum devices
 - Increasing size, capability, and fidelity
- Build software tools for working with these near-term quantum computing systems
 - Short-depth circuits: enable investigation of algorithms toward quantum advantage
 - Pre-fault-tolerance: enable exploration of broad error mitigation techniques
- Create a framework for experiments, simulations, and analysis
 - Backend-independent interface for running experiments
 - Multiple simulators and analysis tools
 - Circuit rewriting infrastructure
 - Optimization, scheduling, hardware mapping
- Increase capabilities and add features over time
 - Expose lower level control interfaces and extend mapping framework
 - Access to timing and pulse shape
 - Introduce higher level abstractions

IBM Quantum Experience

Anatomy of a superconducting qubit device

Qubits:

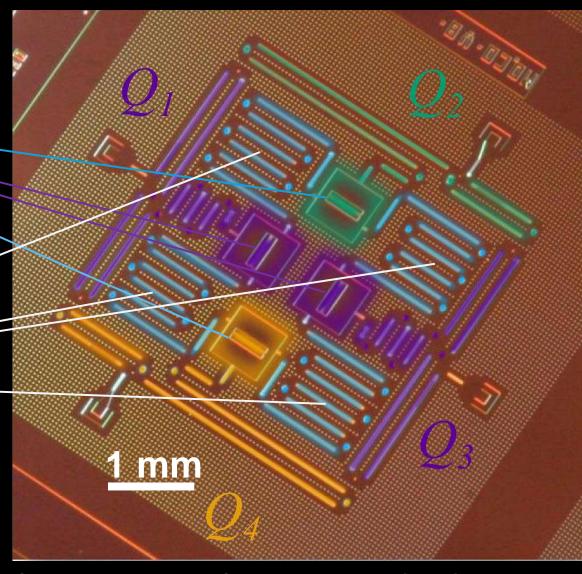
Single-junction transmon Frequency ~ 5 GHz Anharmonicity ~ 0.3 GHz

Resonators:

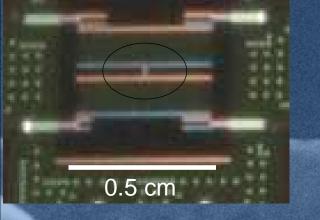
Co-planar waveguide Frequency ~ 6 – 7 GHz

Roles:

Individual qubit readout **Qubit coupling ("bus")**



Corcoles et al., Nat. Commun. 6, 6979 (2015)

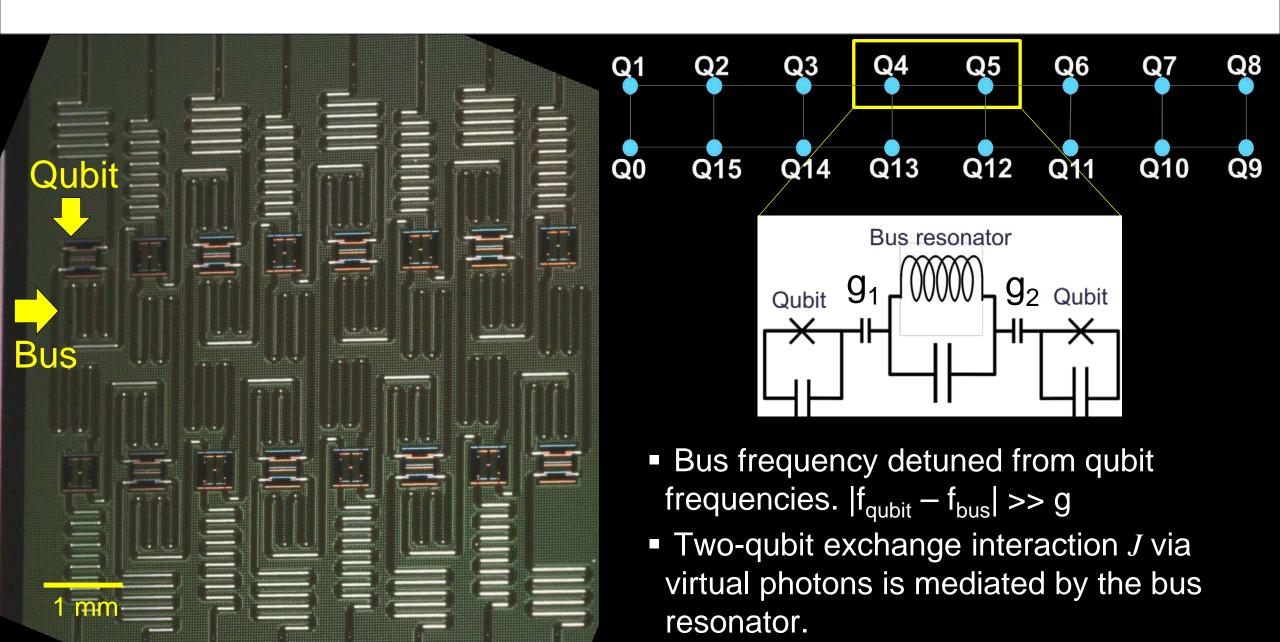


FIXED-FREQUENCY SUPERCONDUCTING JOSEPSON JUNCTION QUBIT

- Anharmonic oscillator ("transmon*" qubit) with ~ 5% anharmonicity
- Using two lowest energy eigenstates as a qubit

*Transmon pioneered by Schoelkopf group, from Yale University. Koch et. al. PRA 76, 04319 (2007)

COULPING QUBITS BY BUS RESONATOR



Devices used in the IBM Q Experience

Properties of current devices:

Single-junction transmon qubits

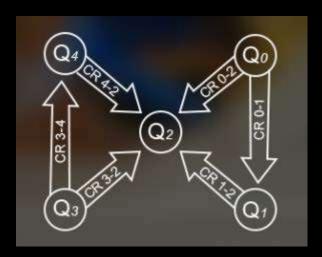
 $T_1 \sim T_2 \sim 50 \ \mu s$

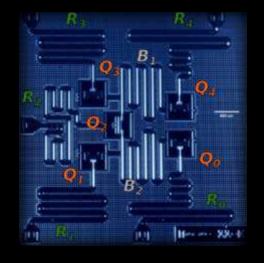
1Q gate fidelities > 99%

2Q gate fidelities > 95%

Measurement fidelities > 93%

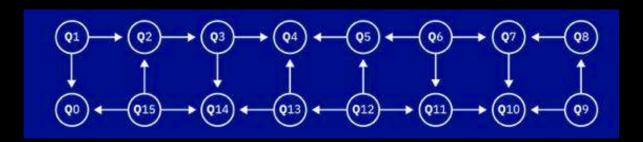
Nearest-neighbor couplings

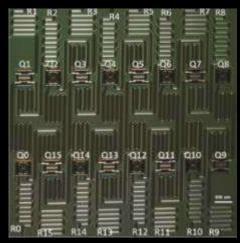




Current device offerings:

5-qubit device ("ibmqx4"): access via web GUI and QISKit API 16-qubit device ("ibmqx5"): access via QISKit API only





Circuit building blocks: single-qubit basis gates

age and all controls for the second bills.

Goals: achieve universal qubit control, maximize fidelity, minimize need for calibrations Arbitrary rotation on the Bloch sphere = up to 3 successive rotations around fixed axes:

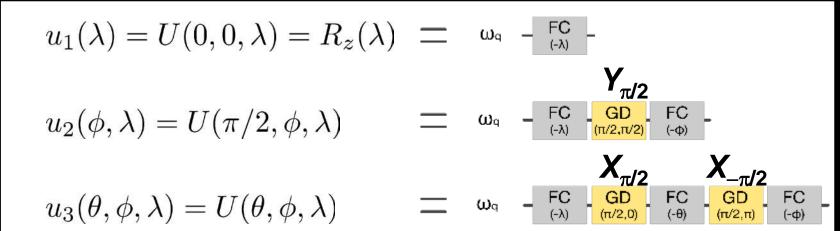
$$U(\theta, \phi, \lambda) = R_z(\phi)R_y(\theta)R_z(\lambda)$$

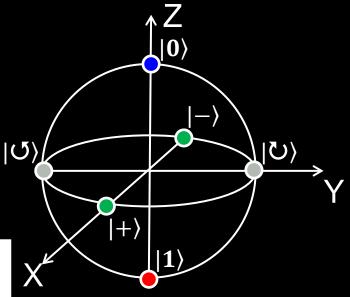
Good news: arbitrary R_Z can be done instantaneously and exactly Just adjust phase of carrier to change reference frame

Bad news: can't calibrate $R_y(\theta)$ to high fidelity for arbitrary θ

Solution: re-write arbitrary gates to use N frame changes plus

N - 1 well-calibrated gates with fixed axis and angle (N = 1, 2, or 3)





FC = frame change GD = Gaussian w/ DRAG

Circuit building blocks: two-qubit basis gate

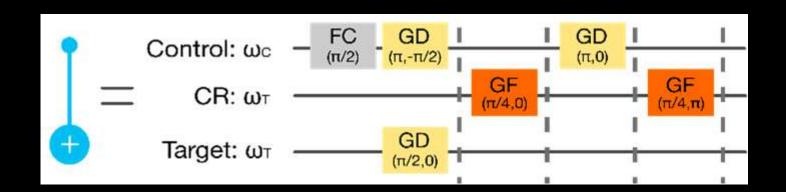
In conjunction with the single-qubit gates, need just a single entangling gate for universal control (ideally well-calibrated)

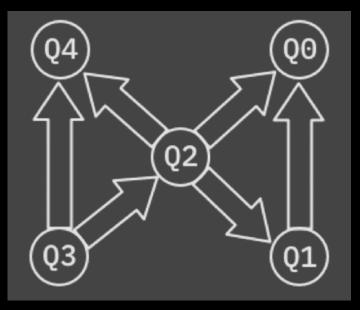
Due to physics of the cross resonance effect, optimal direction of CNOT (i.e. which qubit is control vs. target) depends on frequency and anharmonicity of the qubits involved

Implement CNOT in only one direction for each qubit pair

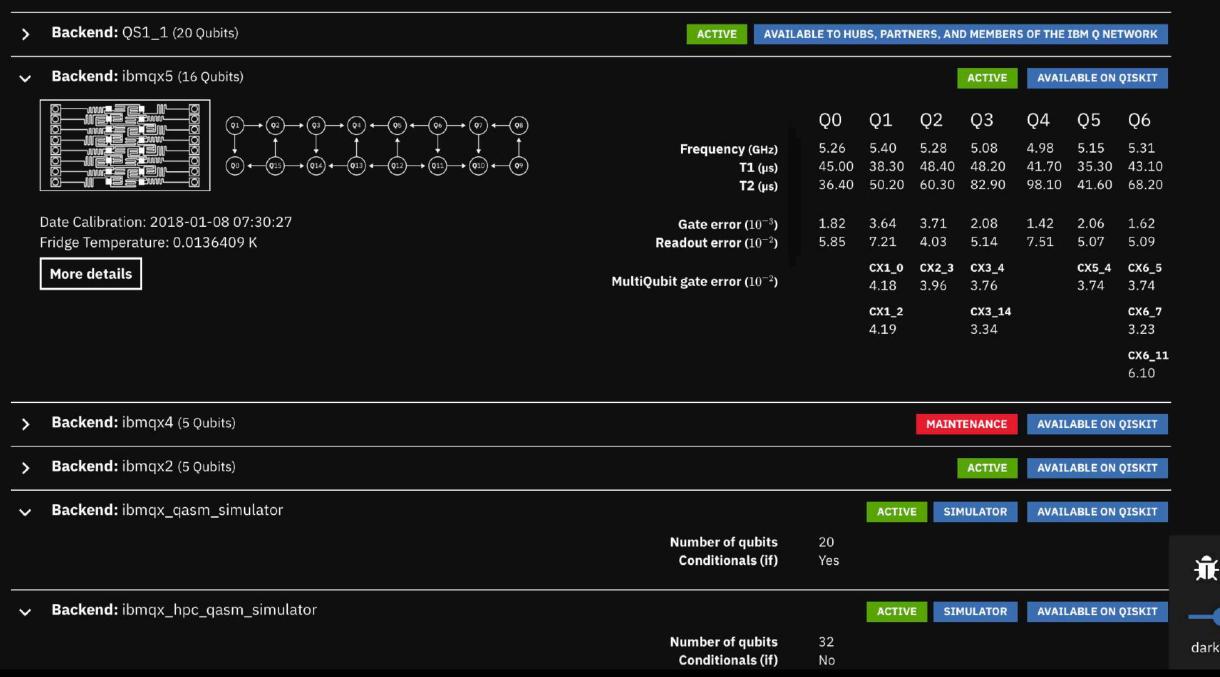
Include directionality in coupling map given to user

In practice, cross-resonance tone is split in half, with a refocusing pulse in the middle to cancel slow fluctuations

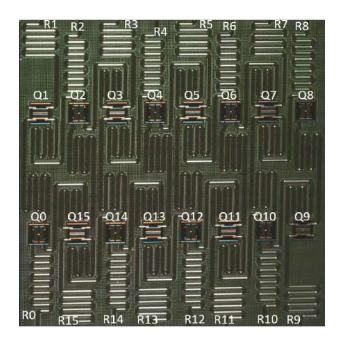


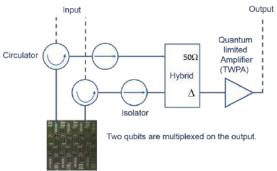


CNOT gates on a 5-qubit chip Arrows go from control to target



Additional backend information





https://github.com/QISKit/ibmqx-backend-information

[∞] IBM QX3

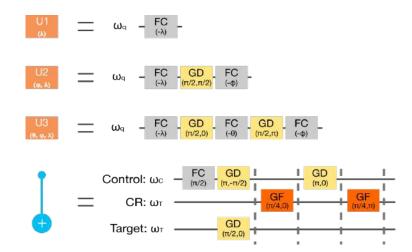
This document contains information about the IBM Quantum Experience ibmqx3 backend.

Contributors (alphabetical)

Baleegh Abdo, Vivekananda Adiga, Lev Bishop, Markus Brink, Nicholas Bronn, Jerry Chow, Antonio Córcoles, Andrew Cross, Jay M. Gambetta, Jose Chavez-Garcia, Jared Hertzberg, Oblesh Jinka, George Keefe, David McKay, Salvatore Olivadese, Jason Orcutt, Hanhee Paik, Jack Rohrs, Sami Rosenblatt, Jim Rozen, Martin Sandberg, Dongbing Shao, Sarah Sheldon, Firat Solgun, Maika Takita

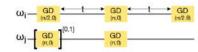
Status History

This device went online June 2017.



Crosstalk, which we parameterize by $\zeta_{ij} = (E_{i+j} - E_i - E_j + E_0)/\hbar$ is measured using a Joint Amplification of ZZ (JAZZ) experiment, which is a modified Bilinear Rotational Decoupling (BIRD) [ffn1]. The standard BIRD sequence used in nuclear magnetic resonance (NMR) is a Ramsey experiment on one qubit with echo pulses on both the measured qubit (Q_i) and the coupled qubit (Q_i). In the JAZZ experiment, this sequence is performed twice, for each initial state of the coupled qubit. Additionally, the phase of the final $\pi/2$ -rotation is varied in order to detect an oscillating signal. ζ_{ij} is equal to the frequency difference found between the two experiments. The JAZZ experiment is shown in the figure below, and the measurements of all ζ_{ij} are in the following table. The GD pulse notation is defined below in the Gate Specification section.

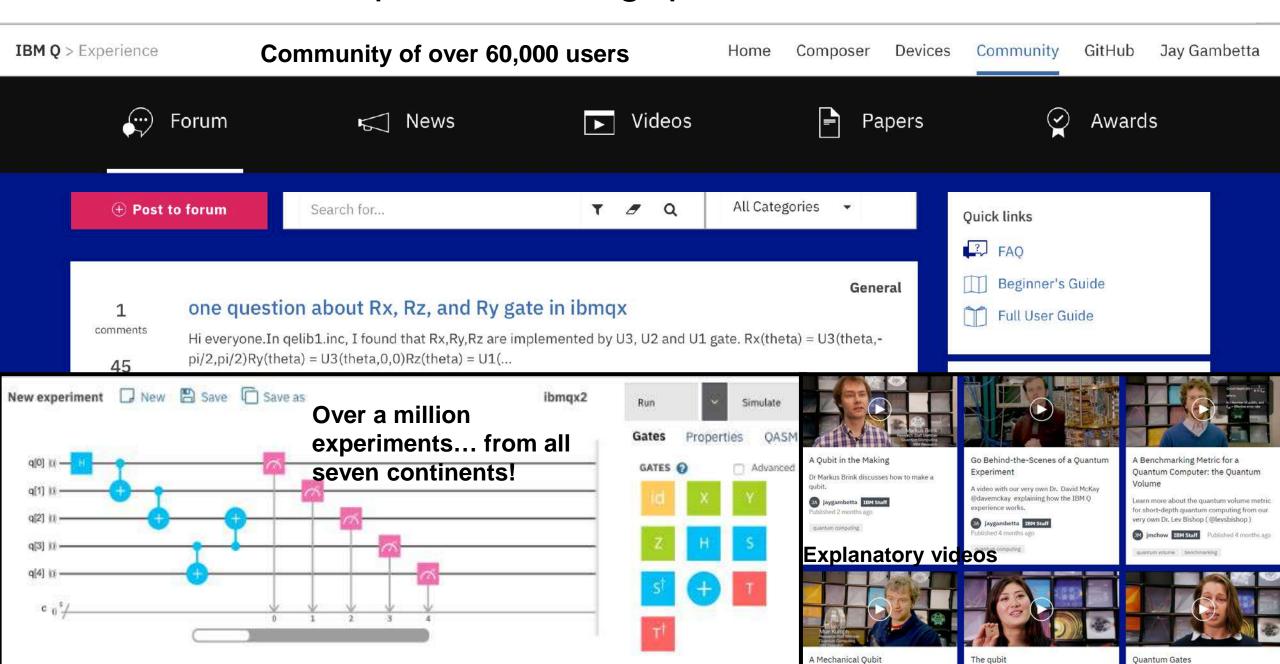
[*fin1]: J.R. Garbow, D.P. Weitekamp, A. Pines, Bilinear rotation decoupling of homonuclear scalar interactions, Chemical Physics Letters, Volume 93, Issue 5, 1982, Pages 504-509.



In the crosstalk matrix, the error bar is less than 1 kHz for all ζ_{ij} and a dash indicates an interaction strength for that pair < 5 kHz.

ζ _{ij} /2π (kHz)	Q0	Q1	Q2	Q3	Q4	Q5	Q6	Q7	Q8	Q9	Q10	Q11	Q12	Q13	Q14
QO		-46	2	027	27	-20	-	-	21	12	20	4	-	2	Ψ.
Q1	-46		-70		-		07.0	-	-		(5)	17.	-	7	2
Q2		-74		-101	8	-	(70)		5	Sec	(+)	5+	-	-	×
Q3	-	-	-98		-31	-	*	-	-	-	-	÷	-	-	-57

Much more than superconducting qubits on the cloud!



part with nobelianality (ii) riski was not board in the file.	\neg
	-

OpenQASM

OpenQASM (Quantum Assembly Language)

Dowload QASM

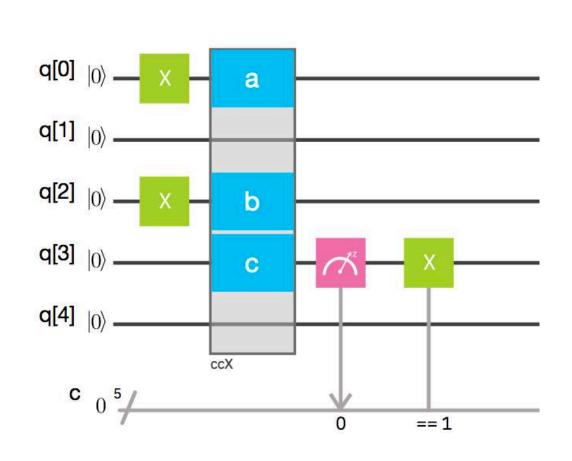
```
include "qelib1.inc";
qreg q[5];
creg c[5];

x q[0];
x q[2];
ccx q[0],q[2],q[3];
measure q[3] -> c[0];
if(c==1) x q[3];
```

Express data dependency but not explicit timing of instructions; separation of quantum and classical processing; hardware agnostic

Import QASM

https://arxiv.org/abs/1707.03429 https://github.com/QISKit/opengasm



Open to discussions about extensions and modifications!

OpenQASM features

- Define quantum and classical registers: qreg qr[8]; creg cr[8];
- Apply built-in unitary operations U and CX: U(pi/2,0,pi) qr[0]; CX qr[0],qr[1];
- Define additional gates as **subroutines** using combinations of **U** and **CX**:

- Include subroutines defined in other files: include "qelib1.inc"
- Perform register-level operations: h qr; CX qra,qrb;
- Measure qubits: measure qr[0] -> cr[0];
- •Use barriers to limit compiler optimizations: x qr[0]; barrier qr[0]; x
 qr[0];
- Apply classically conditioned operations: if (cr[0]==1) { x qr[1]; }

n image part with nelationally (ii) riski was not beard in the file.	

QISKIT API

QISKit API: an interface to quantum hardware

Submit requests for processing by quantum

hardware

- Name of quantum backend to use
- Quantum circuit(s) to run, in QASM format
- # of trials ("shots") to run
- Retrieve results and metadata for client-side

processing

- Probability of each outcome
- Execution time and duration
- Most recent calibration data at time of execution

Get backend details

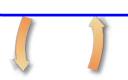
- Static properties: device type, qubit coupling map, basis gates, description/comments
- Dynamic properties: coherence times, operation fidelities, time of last calibration
- Status: availability, length of job queue
- Token-based authentication, tracking of "credits"

High-level controller

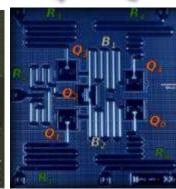


16Q controller

5Q controller







QISKit API: connecting to the IBM Q Experience

■ Connect the QISKit API (see github.com/QISKit/qiskit-api-py) to the IBM Q Experience

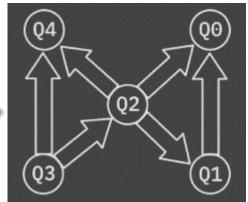
```
In [1]: import Qconfig
In [2]: from IBMQuantumExperience.IBMQuantumExperience import IBMQuantumExperience
In [3]: api = IBMQuantumExperience(Qconfig.APItoken,Qconfig.config)

Get a list of IBM Q Experience backends currently online
In [4]: backends = api.available_backends()
```

```
In [5]: [backend['name'] for backend in backends if
    ...: api.backend_status(backend['name'])['available'] is True]
Out[5]: ['ibmqx4', 'ibmqx5', 'ibmqx_qasm_simulator']
```

Get details about a given backend

```
In [6]: backends['name'=='ibmqx4']
Out[6]:
{'basisGates': 'SU2+CNOT',
   'chipName': 'Raven',
   'couplingMap': [[1, 0], [2, 0], [2, 1], [2, 4], [3, 2], [3, 4]],
   'description': '5 qubit transmon bowtie chip 3',
   'id': 'c16c5ddebbf8922a7e2a0f5a89cac478',
   'nQubits': 5,...
```



QISKit API: making a Bell state

Submit job with QASM for making Bell state

```
In [8]: api.run_job([{'qasm': Bell_QASM}], backend = 'ibmqx4', shots = 1000
Out[8]:
{'backend': {'id': 'c16c5ddebbf8922a7e2a0f5a89cac478', 'name': 'ibmqx4'},
    'creationDate': '2017-11-26T05:23:54.746Z',
    'deleted': False,
    'id': 'ebdaee522b43b171dee105262ad6cc2e'
    'infoQueue': {'status': 'EXECUTING'},
    ...
```

```
In [7]: Bell_QASM = input()

...: OPENQASM 2.0;
...: include "qelib1.inc";
...: qreg q[5];
...: creg c[5];
...: h q[1];
...: cx q[1],q[0];
...: measure q[0] -> c[0];
...: measure q[1] -> c[1];
```

Check job status

```
In [9]: api.get_job('ebdaee522b43b171dee105262ad6cc2e')['status']
Out[9]: 'COMPLETED'
```

Retrieve results

```
In [10]: api.get_job('ebdaee522b43b171dee105262ad6cc2e')['qasms'][0]['data']['counts']
Out[10]: {'00000': 500, '00001': 26, '00010': 64, '00011': 410}
```

→ As expected, 00 and 11 appear with similar probabilities and 01 and 10 are suppressed

That's great, but...

- •What if I want to work with many qubits?
- •What if I want to optimize my program to maximize fidelity?
- •What if I want to assemble complex circuits from simple ones?
- •What if I want to use a high level language to construct my circuits?
- •What if I want to avoid certain qubits based on device calibration data?
- •What if I want to run the same circuit on completely different quantum hardware?
- ■What if?

	_
s Image part with nate/amility (i) that was not found in the file.	
	- 1
	- 1
	- 1
	- 1
	- 1

QISKIT SDK



QISKit Documentation

Quantum Information Software Kit (QISKit), SDK Python version for working with OpenQASM and the IBM Q experience (QX).

Table Of Contents

Installation and setup Getting started QISKit overview Developer documentation SDK reference

Next topic

Installation and setup

This Page

Show Source

Installation and setup

Table of Contents

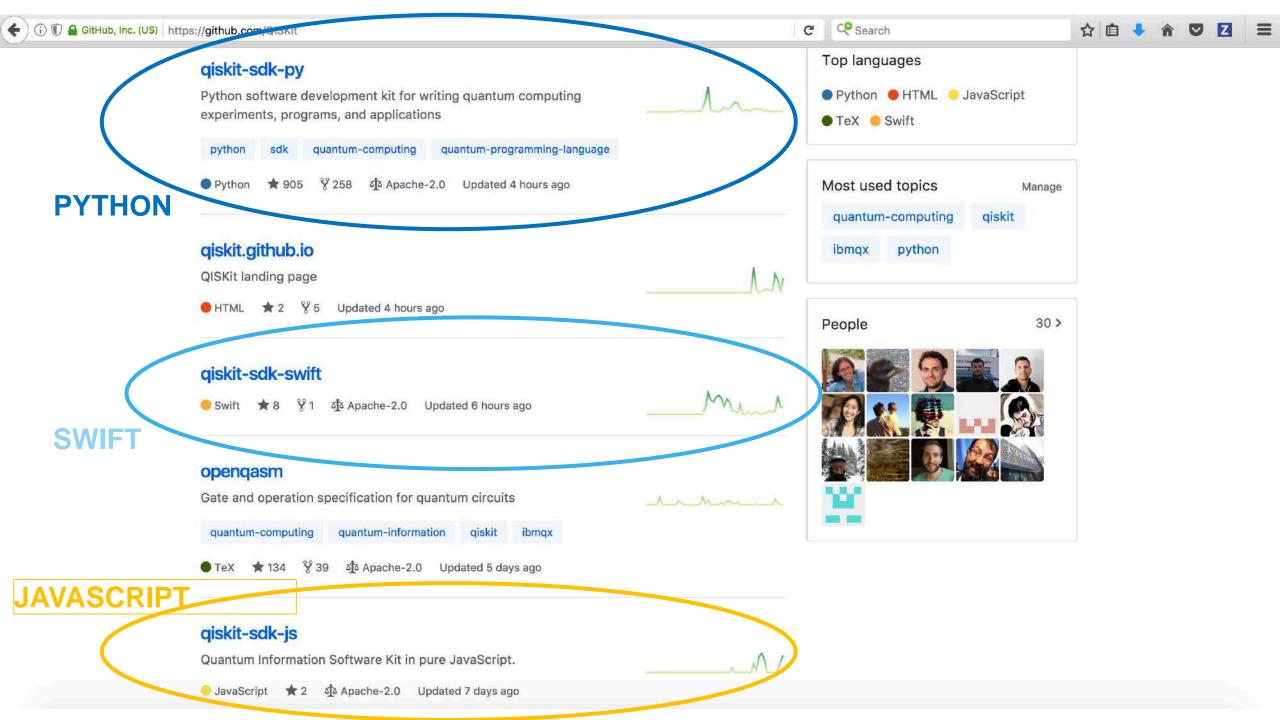
- o Installation
 - Install Jupyter-based tutorials
 - o FAQ
- Getting started
 - Quantum Chips
 - o Project Organization
- QISKit overview
 - Philosophy
 - Project Overview
- Developer documentation
 - Programming interface

Documentation from getting started to developing



Python software development kit for writing quantum computing experiments, programs, and applications.





QISKit SDK

 Goal: enable research and further development of applications for near-term quantum backends

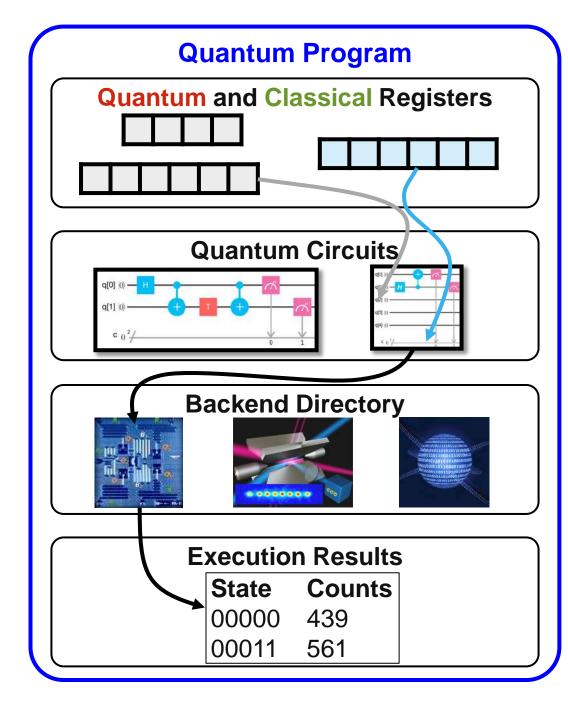
•Central components:

- Quantum Program class (see illustration)
- Quantum circuit transcompiler
- Quantum circuit backends

Typical workflow:

- 1. Initialize quantum program
- Define quantum and classical registers
- 3. Build quantum circuits
- 4. Rewrite circuits to run on target backend
- 5. Execute job
- 6. Analyze results

github.com/QISKit/qiskit-sdk-py



QISKit: Getting started

Download qiskit-tutorial from https://github.com/QISKit/qiskit-tutorial Install qiskit (optionally download SDK from https://github.com/QISKit/qiskit-sdk-py) Navigate to qiskit-tutorial folder and launch Jupyter notebook

```
1. cjwood@christophers-MacBook-Pro: ~/Documents/IBM-Git/qiskit-tutorial
```

qiskit-tutorial git:(master) x pip install qiskit; jupyter notebook

Create a new Python 3 notebook and import qiskit

```
In [1]: # Import QISKit
        import qiskit
        from qiskit import QuantumProgram # basic QISKit object
        # Add IBMOX API token and URL. Needed for online access
        API TOKEN = "your quantum experience api token here"
        API URL = 'https://quantumexperience.ng.bluemix.net/api'
```

Initializing a quantum program

The main interface to QISKit is the QuantumProgram class.

- Collection of quantum circuits and methods to interact with them
- Build and store quantum circuits
- Import or export OpenQASM text circuits
- Interface with backends to run experiments (on real hardware or simulators)

Basic steps to initialize a new program

- 1. Create a new QuantumProgram
- 2. Add 1 or more quantum registers
- 3. Add 1 or more classical registers

Bell state with QISKit: building a basic circuit

Create quantum program and associated registers

Define a circuit to **prepare** a Bell state

$$|\psi
angle = rac{|00
angle + |11
angle}{\sqrt{2}}$$

Define a circuit to **measure** both qubits in the default (Z) basis

```
In [1]: from qiskit import QuantumProgram
In [2]: qp = QuantumProgram()
In [3]: qr = qp.create_quantum_register('qr',2)
In [4]: cr = qp.create_classical_register('cr',2)
In [5]: bell = qp.create_circuit('Bell',[qr],[cr])
                               qiskit.extensions.standard
In [6]: bell.h(qr[0])
                               defines methods for common
                               operations (similar to qelib1.inc).
                              Need others? Add an extension!
In [7]: bell.cx(qr[0],qr[1])
In [8]: meas_z = qp.create_circuit('measZ',[qr],[cr])
In [9]: meas_z.measure(qr,cr)
```

What's in the standard extension?

Available circuit operation methods:

- Single qubit gates
 - iden, x, y, z, h, s, sdg, t, tdg, u1, u2, u3, rx, ry, rz
- Two qubit gates (cx, cy, cz, cu1, cu2)
- Three qubit gates (ccx, cswap)
- Measurement, reset, and barrier (measure, reset, barrier)

Additional circuit construction methods:

- Invert gates with .inverse
 - mycirc.u1(pi/8).inverse()
- Add a classical control with .c_if
 - mycirc.x(q[0]).c_if(outcome, 1)



Bell state with QISKit: getting some information

Get quantum circuit and program register names

Get OpenQASM text for the quantum circuits

```
In [8]: qp.get circuit names()
Out[8]: dict keys(['Bell', 'measZ'])
In [9]: qp.get quantum register names()
Out[9]: dict keys(['qr'])
In [10]: qp.get classical register names()
Out[10]: dict keys(['cr'])
In [11]: for qasm in qp.get qasms(qp.get circuit names()):
             print(gasm)
         OPENQASM 2.0;
         include "qelib1.inc";
         qreg qr[2];
         creg cr[2];
         h qr[0];
         cx qr[0],qr[1];
         OPENQASM 2.0;
         include "qelib1.inc";
         qreg qr[2];
         creg cr[2];
         measure qr[0] -> cr[0];
         measure qr[1] -> cr[1];
```

Bell state with QISKit: harnessing circuit modularity

- For more evidence the qubits are actually entangled, measure in a different basis and verify that the correlation persists
- •Make a circuit for measuring in the X basis:

```
In [10]: meas_x = qp.create_circuit('measX',[qr],[cr])
In [11]: meas_x.h(qr)
In [12]: meas_x.measure(qr,cr)
```

Now add two new circuits to our Quantum Program, each made by combining the Bell state preparation circuit with one of the measurement circuits:

```
In [13]: qp.add_circuit('Bell_measZ',bell + meas_z)
In [14]: qp.add_circuit('Bell_measX',bell + meas_x)
```

Bell state with QISKit: inquiring about backends

Request backend names from the program object

Configure the API to access the online backends

```
qp.available_backends()
Out[12]: ['local gasm cpp simulator', 'local gasm simulator', 'l
         ocal unitary simulator']
In [14]: qp.set_api(Qconfig.APItoken, Qconfig.config["url"])
         qp.available backends()
Out[14]: ['ibmqx4',
           'ibmqx5',
           'ibmqx2',
           'ibmqx qasm simulator',
           'local gasm cpp simulator',
           'local gasm simulator',
           'local unitary simulator']
In [15]: qp.online backends()
         ['ibmqx4', 'ibmqx5', 'ibmqx2', 'ibmqx_qasm_simulator']
```

Bell state with QISKit: execution

Send both circuits to the IBM Q Experience's 5-qubit chip for execution:

... and in a couple minutes:

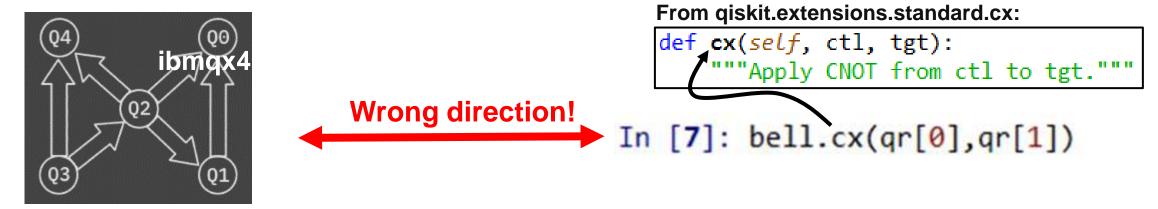
```
In [18]: result.get_counts('Bell_measZ')
Out[18]: {'00000': 490, '00001': 32, '00010': 65, '00011': 413}
In [19]: result.get_counts('Bell_measX')
Out[19]: {'000000': 501, '00001': 45, '00010': 56, '00011': 398}
```

• Indeed, outcomes are correlated regardless of the choice of measurement basis



Bell state with QISKit: circuit rewriting

• Q: But how did these circuits even run at all?!



■ A: Execute = **compile** + run

```
In [20]: print(qp.get qasm('Bell measZ'))
                                                        In [21]: print(result.get ran qasm('Bell measZ'))
OPENOASM 2.0;
                                                        OPENQASM 2.0;
include "qelib1.inc"; Original QASM
                                                                                  Rewritten QASM
                                                        include "qelib1.inc";
greg gr[2];
                                                        qreg q[2];
creg cr[2];
                    Rewrite gates in backend's basis
                                                        creg cr[2];
                    Re-map circuit given coupling map
h qr[0];
                                                       u2(0.0,3.141592653589793) q[1];
cx qr[0],qr[1];
                                                        cx q[1], q[0];
measure qr[0] \rightarrow cr[0];
                                                        measure q[0] \rightarrow cr[1];
measure qr[1] \rightarrow cr[1];
                                                        measure q[1] \rightarrow cr[0];
```

Transcompiler goals:

- Map a given circuit into one that can be run on target backend
- Optimize circuit performance by eliminating redundancies in instruction sequences

Nuts and bolts: basic circuit rewriting

- The circuit rewriting methods (mapper module) execute a few simple fixed passes
 - 1. "unroll": expands gate definitions to some level, expands loops
 - 2. "swap_mapper": selects a layout and inserts SWAP gates as needed
 - 3. "cx_cancellation": removes even runs of CNOT gates
 - 4. "optimize_1q_gates": simplifies runs of single qubit gates
- SWAP insertion algorithm solves using a randomized, greedy layerby-layer approach
- Single qubit gate optimization attempts to minimize number of pulses
- Modular framework in development to enable extensibility and research

Bell state with QISKit: local Python simulators

Often we would like to examine the expected quantum state

Using the simulator in QISKit we may "cheat" and ask directly for the state

Run these examples on circuits that don't contain measurement

```
results = qp.execute('Bell', backend='local gasm simulator', shots=1)
In [18]:
         data = results.get data('Bell')
         print(data)
         {'counts': {'00': 1}, 'quantum state': array([ 0.70710678+0.j, 0.00000000+0.j, 0.00000000+0.j, 0.70710678+0.j]), '
         classical state': (0,)}
         results = qp.execute('Bell', backend='local unitary simulator', shots=1)
In [19]:
         data = results.get data('Bell')
         print(data)
         {'unitary': array([[ 0.70710678 +0.00000000e+00j, 0.70710678 -8.65956056e-17j,
                  0.00000000 + 0.000000000e + 00j, 0.00000000 + 0.00000000e + 00j,
                [ 0.00000000 +0.00000000e+00j, 0.00000000 +0.00000000e+00j,
                  0.70710678 +0.00000000e+00j, -0.70710678 +8.65956056e-17j],
                [ 0.00000000 +0.00000000e+00j, 0.00000000 +0.00000000e+00j,
                  0.70710678 + 0.000000000e + 00j, 0.70710678 - 8.65956056e - 17j,
                [0.70710678 + 0.000000000e+00j, -0.70710678 + 8.65956056e-17j,
                  0.00000000 +0.00000000e+00j, 0.00000000 +0.00000000e+00j]])}
```

Bell state with QISKit: plotting states

Plotting a state using the visualization module:

• The **qiskit.tools.visualization** model contains several methods of visualizing quantum states:

```
In [10]: # Import QISKit visualization library
         from qiskit.tools.visualization import plot state
         from qiskit.tools.qi.qi import outer
         # Plot the density matrix of the state
         rho = outer(data['quantum state']) # convert to density matrix
         plot state(rho, method='city')
                                                            -0.5
                                                           -1.0
                                                     20
                                                  01
```

Example of advanced QISKit features

• To fully determine a 2-qubit state experimentally, we need to obtain counts from 9 different measurement circuits corresponding to the Pauli group elements, i.e. we need to do **quantum state tomography.**

Is there an easier way to implement this?

- Yes! We have the full power of Python, so write functions that automate necessary steps
- Many useful routines are already implemented in QISKit modules, and more are coming!

Bell state with QISKit: state tomography

 We can implement quantum state tomography using the QISKit tomography module:

```
In [15]: import qiskit.tools.qcvv.tomography as tomo
```

- This automates generating of measurement circuits, and reconstructing the density matrix:
- Generate measurement circuits:

Bell state with QISKit: state tomography

Execute the circuits on a simulator to obtain count results:

```
In [19]: backend = 'local gasm simulator'
         shots = 1024
         tomo res = qp.execute(tomo circs, backend=backend, shots=shots)
         for c in tomo circs:
             print(tomo res.get counts(c))
         {'11': 532, '00': 492}
         {'01': 243, '11': 255, '00': 263, '10': 263}
         {'11': 256, '00': 234, '10': 261, '01': 273}
         {'01': 268, '00': 260, '10': 258, '11': 238}
         {'10': 519, '01': 505}
         {'11': 267, '00': 274, '10': 251, '01': 232}
         {'00': 256, '11': 259, '01': 247, '10': 262}
         {'10': 252, '01': 249, '00': 259, '11': 264}
         {'11': 494, '00': 530}
```

Bell state with QISKit: state tomography

Post-process data to reconstruct state

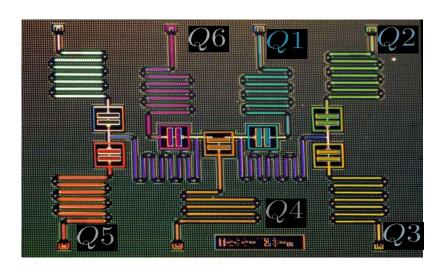
```
In [20]: # extract state tomography data
         tomo data = tomo.state tomography data(tomo res, 'bell', meas qubits)
         # Fit the state using Maximum Likelihood estimation
         rho_fit = tomo.fit_tomography_data(tomo_data)
         # Plot the state
         plot state (rho fit, method='city')
                                                             -0.5
                                                            -1.0
                                                      10
```



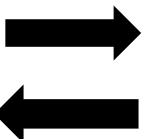
VQE algorithm: Application to quantum chemistry

The latest version of this notebook is available on https://github.com/QISKit/giskit-tutorial.

For some physical Hamiltonian H, find the smallest eigenvalue E_G , such that $H|\psi_G\rangle = E_G|\psi_G\rangle$, where $|\Psi_G\rangle$ is the eigenvector corresponding to E_G .









Use classical optimizer to choose a new value of θ to try

9 2017 IBM Corporation

Approximate universal quantum computing for quantum chemisty problems

In order to find the optimal parameters θ^* , we set up a closed optimization loop with a quantum computer, based on some stochastic optimization routine. Our choice for the variational ansatz is a deformation of the one used for the optimization of classical combinatorial problems, with the inclusion of Z rotation together with the Y ones. The optimization algorithm for fermionic Hamiltonians is similar to the one for combinatorial problems, and can be summarized as follows:

- 1. Map the fermionic Hamiltonian H to a qubit Hamiltonian H_P .
- 2. Choose the maximum depth of the quantum circuit (this could be done adaptively).
- 3. Choose a set of controls θ and make a trial function $|\psi(\theta)\rangle$. The difference with the combinatorial problems is the insertion of additional parametrized Z single-qubit rotations.
- 4. Evaluate the energy $E(\theta) = \langle \psi(\theta) | H_P | \psi(\theta) \rangle$ by sampling each Pauli term individually, or sets of Pauli terms that can be measured in the same tensor product basis.
- 5. Use a classical optimizer to choose a new set of controls.
- 6. Continue until the energy has converged, hopefully close to the real solution θ^* and return the last value of $E(\theta)$.

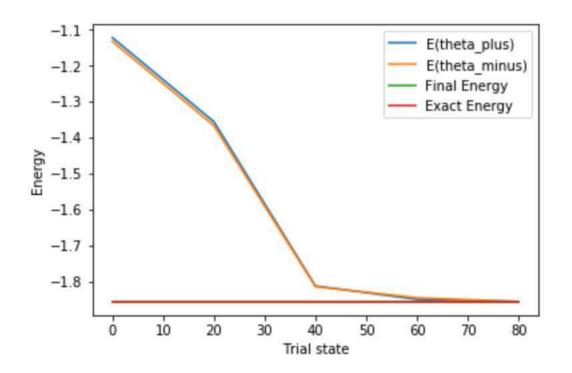
Note that, as opposed to the classical case, in the case of a quantum chemistry Hamiltonian one has to sample over non-computational states that are superpositions, and therefore take advantage of using a quantum computer in the sampling part of the algorithm. Motivated by the quantum nature of the answer, we also define a variational trial ansatz in this way:

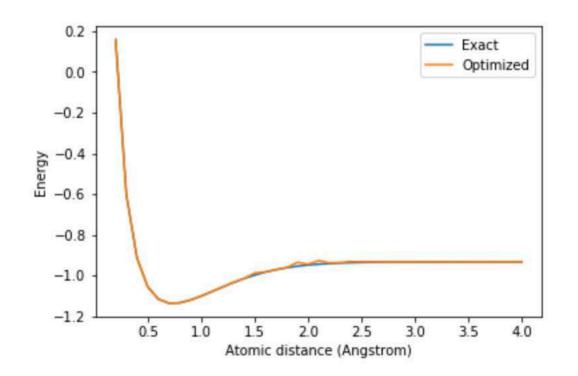
$$|\psi(\boldsymbol{\theta})\rangle = [U_{\text{single}}(\boldsymbol{\theta})U_{\text{entangler}}]^m |+\rangle$$

where $U_{\text{entangler}}$ is a collection of cPhase gates (fully entangling gates), $U_{\text{single}}(\boldsymbol{\theta}) = \prod_{i=1}^{n} Y(\theta_i) Z(\theta_{n+i})$ are single-qubit Y and Z rotation, n is the number of qubits and m is the depth of the quantum circuit.

References and additional details:

[1] A. Kandala, A. Mezzacapo, K. Temme, M. Takita, M. Brink, J. M. Chow, and J. M. Gambetta, *Hardware-efficient Variational Quantum Eigensolver for Small Molecules and Quantum Magnets*, Nature 549, 242 (2017), and references therein.





Experimental Results (2 qubits): Hydrogen Molecule

 H_A : 1s¹ H_B : 1s¹

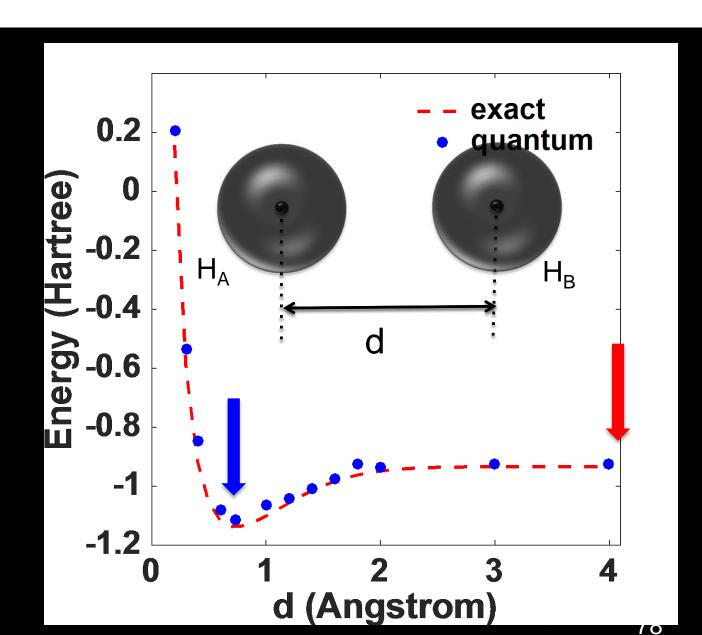
4 spin orbitals mapped to 2 qubits

Equilibrium d = 0.735 ÅH = (-1.05237)II+(0.39735)ZI+(0.39735)IZ+(0.11279)ZZ+(0.18093)XX

Dissociation d = 4 Å H = (-0.70461)II+(0.00012)ZI+(0.00012)IZ+(1.6673e-10)ZZ+(0.33438)XX

	Equilibrium (d=0.735 Å)	Dissociation (d=4 Å)
Exact	-1.858	-1.0655
1 U _{ENT}	-1.8365	-1.0595
2 U _{ENT}	-1.8229	-1.0586

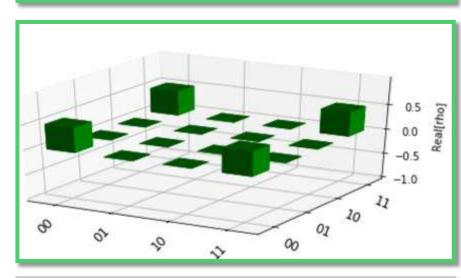
arXiv:1704.05018



Toolboxes and tutorials

- Toolboxes (part of SDK): libraries of helper functions for...
 - Quantum state visualization and analysis
 - Optimization problems
 - Quantum chemistry problems
 - Verification and validation
 - File I/O
- •Tutorials (github.com/QISKit/qiskittutorial): Jupyter notebooks illustrating concepts, usage, applications, etc.
 - Currently 24 notebooks spanning 5 categories:
 - Introduction to the tools
 - 2. Exploring quantum information concepts
 - 3. **Verification** tools for quantum information science
 - 4. **Applications** of short-depth quantum circuits
 - 5. Quantum games

import qiskit.tools.qcvv.tomography as tomo



```
In [6]: plt.plot(mol distance,electr energy+coulomb repulsio
         if run optimization:
              plt.plot(mol distance, electr energy optimized+co
         plt.xlabel('Atomic distance (Angstrom)')
         plt.ylabel('Energy')
         plt.legend()
Out[6]: <matplotlib.legend.Legend at 0x1112bfc50>

    Exact

                                                        Optimized
             0.0
            -0.2
            -0.4
          Ē −0.6
            -0.8
            -1.0
            -1.2
                               Atomic distance (Angstrom)
```



- Interface for experiments or simulations to enable research and applications pre-fault-tolerance
- Growing software stack, including higher-level tutorials and examples
- Interface to quantum devices: IBM QX and local devices
- Open source development
 - New releases every few months
 - Ongoing projects to improve circuit rewriting architecture, simulators, visualizers, backend interfaces

explore https://www.qiskit.org/

contribute https://github.com/QISKit

help define https://qiskit.slack.com/